

# Volume 7 No.6, June 2018 International Journal of Advances in Computer Science and Technology Available Online at http://www.warse.org/IJACST/static/pdf/file/ijacst04762018.pdf https://doi.org/10.30534/ijacst/2018/04762018

# Algorithm of without key hash-function based on Sponge-scheme

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# ABSTRACT

In given article is offered a new algorithm of without key hash-function, founded on cryptographic Sponge scheme.

**Key words:** Hash-function, Sponge scheme, message authentication code algorithm.

#### **1. INTRODUCTION**

Nowadays, according to the results of projects such as SHA-3, NESSIE and Stribog, Sponge Scheme based Keccak [1-3], Miaguchi Prinel scheme based Whirpool [5] algorithms were found as a winners and Merkel Damgard scheme based hash algorithm has established as a new standard GOST R 34.11–2012 [2].

Analysis of modern hash algorithms is presented in dissertation [4], their designing stages are described in [7] work, key hash-function and flow encryption algorithm based on Sponge-scheme are given in [6, 8].

According to the analysis of the literature in this area, possible attacks (collision detection options) to hash function algorithms are divided into three types:

1. Attack to determine collisions. In other words, finding different texts  $m_1$  and  $m_2$  that have the equal hash values  $(hash(m_1)=hash(m_2))$ .

2. Attack to determine first sample of text. Finding the text m which satisfies hash(m)=h equation based on given h - hash value.

3. Attack to determine second sample of text. Finding  $m_2$  text, that differ from given  $m_1$  text, and which hash values are equal (hash( $m_1$ )=hash( $m_2$ )).

Key hash function algorithms and possible attacks to them are described in [6].

# 2. THE MAIN PART

In the article, considering to recognized requirements and criteria for creating new algorithms of hash function, algorithm of Sponge scheme based hash function has been proposed. Sponge scheme is presented in 1-figure. The Scheme works on the following sequence:

- The Phase "absorbing" is executed by XOR operation with current block of the source message and the first part of condition  $S_1$  which size is r bit. Result saves in  $S_1$ . Rest part  $-S_2$  remains unaffected. Then new S condition  $(S=S_1||S_2)$  is processed in f-function. This operations are continued until the end of message M.

- In the "squeezing" phase condition S is given to f-function and a part of S<sub>1</sub> is given to output. It repeats until achieving necessary length.

Transformations of new hash algorithm are carried out on A[8x8] massive consisting of elements with L bits or vector with b bit, in other words interior state of Sponge is S=b=64\*L bit. Each element is  $L=2^z$ , (z=0,1,2,3,4,5). When L=32 bit S=2048 and S consists of 2 parts –  $S=S_1||S_2, S_1$  part r=768 bit,  $S_2$  part c=1280. The initial state of S is equal to  $0^{2048}$  (2048 zeros).

The process of calculating hash value by given data consists of following stages:

Stage 1. Adding filling bits.

Regardless of length, the data, for which hash is calculated, is separated on 768 bit blocks. If the length of final block is less than 768 bit, it is filled up as a showed in following formula:  $M_n ||80_{16}||0_{16}...0_{16}$ .

Stage 2. Adding the length of data.

Result of 1-nd stage is concatenated with 768 bit value, represented the length of given data. Value of block is calculated as length of the data mod  $2^{768}$ .

Stage 3. Adding the control sum.

Result of 2-nd stage is concatenated with 768 bit control sum of given data. After the last incomplete block is filled with zero, each 768 bit block divided into 24 32-bit words. Each 32-bit word is added with corresponding 32-bit word of another 768 bit block with mod  $2^{32}$  operation. After all 32-bit words of all 768 bit blocks are added, obtained 32-bit words are concatenated. Result is 768 bit data block M.



Figure-1: Sponge scheme

Stage 4. Separating information by 768 bit data block and processing.

After the completion 4 stages mentioned above, extended information is divided by 768 bit blocks  $M_1$ ,  $M_2$ , ...,  $M_N$ .

Dividing information by 768 bit blocks and processing is carried out using the following function f:

1.  $M_x$  block is divided into 24 ... 32-bit words,  $M_x=m_0||m_1||...||m_{23}$ , using the formula (1) computes sum of  $m_k$  by XOR operation.

$$P_x = \sum_{k=0}^{23} m_k = m_0 \oplus m_1 \oplus \dots \oplus m_{23}, \ k = 0, \dots, 23$$
(1)

2. The first 24 elements of array A[8x8] is added (2) by XOR with  $m_k$  and cyclic shifted on 11 bits  $P_k$ .

$$A_{i,j} = A_{i,j} \oplus m_{(8i+j)} \oplus P_k <<<11, \ i=0,..., 2, \ j=0, ..., 7$$
(2)

3. Each element of *A* array computes using formula (3).

$$A_{i,j} = A_{i,j} \oplus \begin{cases} A_{k,j}, & \text{if } k \neq i; \\ A_{i,k}, & \text{if } k \neq j; \end{cases}$$
(3)

in here these are i=0...7, j=0...7, k=0...7.

4. For hashing elements uses Buff array that defined by formula (4). Buf[0...63], buf[s]=32 bit, s=0...63. As an index of Buff array uses element of OY array.

$$Buf[OY[8i+j]] = A_{i,j}, \tag{4}$$

Where OY is dimensional array:

OY[0...63]={ 54, 21, 34, 9, 58, 19, 32, 7, 35, 10, 55, 20, 33, 8, 57, 18, 22, 53, 64, 59, 56, 45, 6, 31, 11, 36, 49, 46, 63, 60, 17, 44, 50, 23, 52, 61, 40, 47, 30, 5, 37, 12, 25, 48, 27, 62, 43, 16, 24, 51, 2, 39, 14, 41, 4, 29, 1, 38, 13, 26, 3, 28, 15, 42 }.

The tasks of generating array elements are described in [6] work.

5. Linear transformation is presented on the (5) formula. This transformation uses AND, NOT, XOR and cyclical shift operations to process elements of Buff array and push them to A array.

$$A_{i,j} = A_{i,j} \oplus \sim Buf_{(8i+j)} \\ \oplus ((Buf_{((8i+j)+1) \mod 64} \& Buf_{((8i+j)+2) \mod 64}) <<<11)$$
(5)  
there *i*=0...7, *j*=0...7.

6. Adding round constant is carried out using a formula(6).

$$A_{1,1} = A_{1,1} \oplus L_r \tag{6}$$

there  $L_r$  – round constant (Table - 1)

Table 1: round constants							
$L_{r}[1]$	b1085bda16	$L_r[6]$	2e45d016 <sub>16</sub>	L <sub>r</sub> [11]	a2422a0816	L <sub>r</sub> [16]	f2a64507 <sub>16</sub>
L <sub>r</sub> [2]	ebcb2f8116	L <sub>r</sub> [7]	714eb88d <sub>16</sub>	L <sub>r</sub> [12]	a460d315 <sub>16</sub>	L <sub>r</sub> [17]	6fa3b58a <sub>16</sub>
L <sub>r</sub> [3]	c0657c1f <sub>16</sub>	L <sub>r</sub> [8]	7585c4fc <sub>16</sub>	L <sub>r</sub> [13]	0576743616	L <sub>r</sub> [18]	a99d2f1a <sub>16</sub>
L <sub>r</sub> [4]	1ecadae9 <sub>16</sub>	L <sub>r</sub> [9]	4b7ce09116	L <sub>r</sub> [14]	cc744d23 <sub>16</sub>	L <sub>r</sub> [19]	4fe39d4616
L <sub>r</sub> [5]	2f6a7643 <sub>16</sub>	L <sub>r</sub> [10]	92676901 <sub>16</sub>	L <sub>r</sub> [15]	dd806559 <sub>16</sub>	L <sub>r</sub> [20]	0f70b5d7 <sub>16</sub>

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After completion 20 rounds returns to 7-th stage, otherwise returns to 2-th stage.

If x < N, i.e. if there is processed block, returns to 1-step of 4-th stage. And the next block is processed as a mentioned above, otherwise absorbing part ends up and beginning next step – squeezing.

7. Element  $A_{0,0}$  of A array concatenates with H(M) variable (7), there H(0)=0.

$$H(M) = H(M) ||A_{0,0}$$
(7)

Elements of A array are processed by (2), (3), (4), (7) formulas. If H(M) has not desired length, returns to 8-th stage, otherwise to 7-th stage.

8. As a result we have H(M) – hash value.

# **3. CONCLUSION**

The advantage of chosen Sponge scheme is that we may create key hash algorithm, flow encryption algorithm or authentification protocol without changing round function. Detailed consideration of this question is a subject of another works.

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