

A Novel Three-Tier Protection for Digital Images Using Blind Watermarking Scheme



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Abstract: Digital watermark is an effectual way to protect the rightful ownership of multimedia data. In this paper, a three-tier Blind watermarking scheme is proposed, in which three independent binary watermarks are embedded in a grayscale digital image. In order to embed multi-watermarks simultaneously to improve the security of watermarked image and also robustness of extracted watermarks, the three 2-D watermarks were first recombined into a 3-D watermarking sequence. Then, the approximation sub-image of the original digital image was decomposed into non-overlapping blocks and the blocks with best abundant texture information were selected according to the size of binary watermark. Finally, the multi-watermark embedding was carried out by modifying the fractional part values of these selected block pixels based on the proposed discrete operation rule. A scheme was also developed correspondingly for multi-watermarking extraction from the distorted image. The experimental results show that one of multi-watermarks is secured enough against the common image processing such as noise addition, filtering, and JPEG compression, while the other two watermarks are immune to any image attacks.

Keywords: multi-watermark; security; Digital Image

INTRODUCTION

Owing to the swift growth of the communication, computer and multimedia technology, the digital data like image, audio, and video are used and distributed through the World Wide Web much simpler and faster than before. However, this convenience also causes substantial financial damage and becomes an important issue of copyright protection in the e-commerce era [1]. Recently, digital watermark has drawn much attention as an effective method to solve this pressing problem. Digital watermark is a technology to embed some copyright information such as company logo, signature, serial number, date or icon, called watermark, into the original media body by modifying the digital media data, and it can be detected or extracted later to assert the rightful ownership of the digital media if any conflict happens. In the last decade, plenty of digital watermarking schemes have been proposed [1-5].

According to the number of watermarks to be embedded, the digital watermarking can be classified into the single watermarking scheme [2,3] and the multi-watermarking scheme [4,5]. Compared to the former, the latter has much greater applications and can be used to solve the problems of multiple ownership or copyright. A multimedia work may have more than one author, each of them may expect to embed their watermarks in the multimedia works, and the agent

company or collector may also need to embed their copyright logo in it. However, the multi-watermarking scheme is more complex than the single watermarking scheme. For example, the multiple watermarks require autonomy and uncorrelated in the multi-watermarking scheme, and the modification of one watermark should not impact other watermarks.

As well known, an effective watermarking scheme should have some better performance in terms of robustness [6], Security [7], and capacity [8]. Watermarking robustness refers to the capability of the embedded watermark to withstand intentional or unintentional media processing, called attacks, including filtering, compression, noising and so on. As used in the copyright protection, the embedded watermark should be detectable or extractable before the watermarked image is severely corrupted to a useless degree. Watermarking imperceptibility refers to whether the viewer can perceive the presence of an embedded watermark. Likewise, the perceptual difference between the original image and watermarked one should be invisible. Watermarking capacity refers to the number of bits which can be embedded in the original media, that is, the size or number of the watermark. Of course, the embedded watermarking capacity is required as large as possible in general. However, these above requirements are conflict to each other. Hence, how to improve the robustness and security while keeping the bigger capacity for multi-watermarking scheme is still a difficult problem.

In this paper, a novel and robust digital image multi-blind watermarking scheme is proposed, in which three binary watermarks are embedded into a grayscale host image simultaneously. A series of experimental results reveal that the proposed multi-watermarking scheme has ideal performance.

RELATED THEOREIES

Arnold Transform

In order to improve the watermarking safety and also visual presentation of the extracted watermarks, it is usually to employ scrambling operation to the original watermarks. Thus the error pixels will not be together if error occurs for one or some regions of watermarking image, but scatter throughout the whole image space when extracted. Considering the simplicity of Arnold transform [9], it is adopted in this paper. Arnold transform (apping) is a clipping transform presented by V. J. Arnold when he did the research of the ergodic theory. Digital watermarking can be taken as

two dimensional matrixes. When applying Arnold transform to the watermarking image, the locations of pixels in the whole watermark was rearranged and after a few iterations, the watermark will become very chaotic as shown in Figure 1.

The Arnold transform can be defined in the following form:.

$$\begin{bmatrix} i' \\ j' \end{bmatrix} = \begin{bmatrix} 1 & 1 \\ 1 & 2 \end{bmatrix} \times \begin{bmatrix} i \\ j \end{bmatrix} \pmod{N}$$

where (i, j) and (i', j') represent the pixel coordinate of watermark before and after executing Arnold transform, and N is the order of digital watermarking image. The operator "mod" represents the modulus operation.

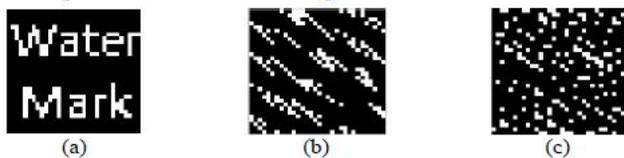


Fig.1. (a) The original digital watermark, and its Arnold transform after (b) 1-iteration, (c) 2-iterations

B. Discrete Wavelet Transform

As a powerful tool to provide both spatial and frequency multi-resolution decomposition, Discrete Wavelet Transform (DWT) has received considerable attention [10]. It exhibits a strong similarity to the way the Human Visual System (HVS) processes image. The dyadic frequency decomposition of the DWT resembles the signal processing of the HVS and thus allows adapting the distortion introduced by either quantization or watermark embedding to the masking properties of the human eye. In the first level decomposition of DWT, an original image is decomposed into four sub-images LL1, HL1, LH1, and HH1, where HL1, LH1, and HH1 represent the finest scale wavelet coefficients, that is, the detailed sub-images, while LL1 stands for the coarse level coefficients, that is, the approximation sub-image. To obtain the next coarse level of wavelet coefficients, the sub-image LL1 can be further decomposed into four sub-images LL2, HL2, LH2, and HH2 as shown in the Figure 2. This decomposition process continues until a certain final scale is reached. The low frequency approximation sub-image has

better stability against the image processing attack of all sub-images obtained in the DWT.

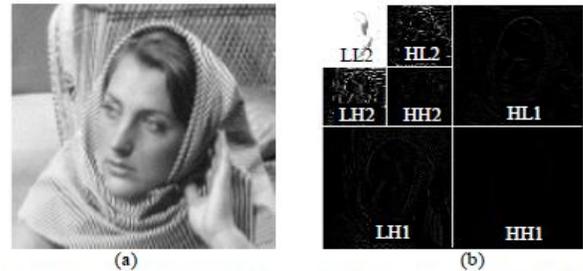


Fig.2. (a) The original woman image, and (b) 2-level wavelet decomposition

PROPOSED ALGORITHM

Multi-watermarking Generation

In this paper, all the watermarks will be embedded synchronously in the DWT approximation sub-image due to its favorable stability. The synchronous embedding of multiple watermarks can avoid mutual interference with each other.

Each of the K watermarks $W_k = \{w_k(i,j)=0/1\}$, $k=1, 2, \dots, K$ is a binary image with size of $N \times N$. From these 2-D K watermarks, we can construct a 3-D watermarking sequence WT :

$$W_T = \{w_T(i, j, 1:K) = [w_1(i, j), w_2(i, j), \dots, w_K(i, j)]\}, \quad 1 \leq i \leq N, 1 \leq j \leq N \quad (2)$$

where $w_T(i,j,z)$, $1 \leq z \leq K$ the 3-D watermarking pixel located at coordinate (i, j, z) .

B. Multi-watermarking Embedding The original digital image is a grayscale image denoted as F $f_{ij} = \{0, \dots, 255\}$ with size of $M \times M$. Without loss of generality, the original image size $M \times M$ and watermarking size $N \times N$ satisfies $M/N=r$, r is an integer greater than one.

Step 1: Decompose the original image F by applying L level DWT, and obtain a L -level approximation sub-image FL with size of $M/2^L \times M/2^L$

Step 2: Split the approximation sub-image FL into multiple non-overlapping blocks with size of $n \times n$, and calculate its uniformity d of each block based on the following equation [11]:

$$d(B_k) = \frac{1}{n^2} \cdot \sum_{(i,j) \in B_k} \frac{|f(i,j) - m_k|}{m_k^{1+\alpha}}$$

where B_k ($1 \leq k \leq (M/2^n)^2$) $n \times n$ size block, m_k is the average value of block B_k , α is the weight correction factor ($0.6 \sim 0.7$). The larger the block uniformity value, the more abundant the texture information, and the larger the visual capacity.

Step 3: Select the blocks with the largest block uniformity and denoted as BF_L^s ($s=1, 2, \dots, S$). The selected block number S meets the requirement that the pixel number sum of selected blocks just equals to the pixel number of binary watermark to be embedded.

Step 4: Extract the fractional part of each pixel value from the selected blocks

Step 5: Embed the multi-watermarks simultaneously by modifying the value of $DBF_L^s(i, j)$ based on the following discrete algorithm, meanwhile returning a logical table Lg :

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If  $0 \leq DBF_L^s(i, j) < 0.5$ ,
     $DBF_L^s(i, j) = 0.25$ ,  $Lg(i, j) = Dec(w_T(i, j, 1:K))$ ;
else
     $DBF_L^s(i, j) = 0.75$ ;
    If  $mod(Dec(w_T(i, j, 1:K)), 2) = 0$ 
         $Lg(i, j) = Dec(w_T(i, j, 1:K)) + 1$ ;
    else
         $Lg(i, j) = Dec(w_T(i, j, 1:K)) - 1$ ;
    end
end
end
    
```

where function $Dec(x)$ denotes to convert a binary vector x to the decimal integer

Step 6: Recombine the modified fractional part $DBFLs$ (i, j) with its original integer part and form the new S blocks

Finally, the watermarked image is created from the new approximation sub-image F'_L and the original detail sub-images by executing L -level inverse wavelet transform.

Multi-watermarking Extraction

Step 1: Decompose the tested image T_F with size of $M \times M$ by applying the L -level DWT, and obtain an approximation sub-image T_{FL} .

Step 2: Split the approximation sub-image T_{FL} into multiple non-overlapping blocks with size of $n \times n$ in the same way as it was done before, and select the corresponding blocks $T_{BF_L^s}$ ($s=1, 2, \dots, S$) according to the position information recorded in the watermarking embedding process.

Step 3: Extract the fractional part of each pixel for blocks $T_{BF_L^s}$: $T_{DBF_L^s}(i, j) = T_{BF_L^s}(i, j) - floor(T_{BF_L^s}(i, j))$ ($s=1, 2,$

..., S).

Step 4: Recover the multi-watermarks w_k^* ($k = 1, 2, \dots, K$)

based on the following discrete operation according to the fractional part value $T_{DBF_L^s}(i, j)$ of the selected blocks and the logical table Lg .

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If  $0 \leq T_{DBF_L^s}(i, j) < 0.5$ ,
     $w_T(i, j, 1:K) = Bin(Lg(i, j))$ ;
else
    if  $mod(Dec(Lg(i, j)), 2) = 0$ 
         $w_T(i, j, 1:K) = Bin(Lg(i, j) + 1)$ ;
    else
         $w_T(i, j, 1:K) = Bin(Lg(i, j) - 1)$ ;
    end
end
 $w_1^*(i, j) = w_T(i, j, 1)$ ,  $w_2^*(i, j) = w_T(i, j, 2)$ ,
 $\dots$ 
 $w_K^*(i, j) = w_T(i, j, K)$ 
    
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where function $Bin(x)$ denotes to convert the decimal integer x to a binary vector.

EXPERIMENTAL RESULTS

In the experimental simulation, three binary images with size of 32×32 are selected as digital watermarks to be embedded. They are named as w_1 , w_2 and w_3 , respectively, and are shown in Figure 3. The original image, shown in Figure 2(a), is a grayscale 8-bit woman image of size 512×512 and is normalized first before embedding watermark. Considering the size of original image and actual watermark, a 3-level wavelet decomposition and reconstruction was applied to the image. The quality of watermarked image is evaluated by peak signal to noise ratio ($PSNR$), and the objective evaluation of extracted watermarking results uses the error rate (ρ_b) defined as below, respectively.

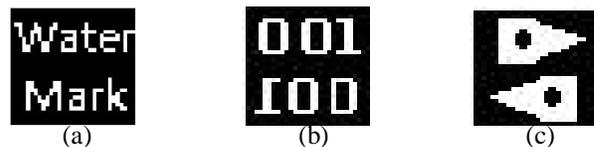


Fig.3. The three original digital watermarks: (a) w_1 , (b) w_2 and (c) w_3

$$PSNR = 10 \cdot \log_{10} (1^2 / MSE) \text{ (dB)} \tag{6}$$

$$MSE = \frac{\sum_{i=1}^N \sum_{j=1}^N (f(i, j) - f^*(i, j))^2}{N^2} \tag{7}$$

$$\rho_b = \frac{T_{error}}{T_b} \tag{8}$$

where $f(i, j)$ and $f^*(i, j)$ represent the pixel values of the original and watermarked image, respectively. T_b represents the total pixel number of the embedded digital watermark,

T_{error} represents the total error pixel number occurred in the extracted watermark.

The robustness of the proposed multi-watermarking scheme is evaluated below by performing several typical image processing attacks.

Noise Addition

Fig.4 (a) is the watermarked woman image added by Gaussian noise with mean of 0 and variance of 0.01. It is shown clearly that the watermarked woman image is very noisy and the perceptual quality degrades obviously. The PSNR reduces from 40.76dB of the original watermarked image to 20.12dB now. However, the extracted watermark w_1 shown in Fig.4 (b) can be well identified and its error rate ρ_b is only about 1.27%, while the other two extracted watermarks w_2 and w_3 without any affected. The detailed simulation results under different intensity noise addition are presented in Table 1, indicating the watermarking robustness against noise attack.



Fig.4. (a) The noised watermarked image and (b) the extracted results

Gauss noise (mean, variance)	PSNR of the watermarked image/dB	ρ_b of the extracted w_1 /%	ρ_b of the extracted w_2 /%	ρ_b of the extracted w_3 /%
0, 0.005	23.02	0	0	0
0, 0.01	20.12	1.27	0	0
0, 0.02	17.32	7.03	0	0
0, 0.03	15.76	17.18	0	0
0, 0.04	14.65	23.92	0	0

Table 1 The detected results after Gaussian noise addition

Median Filtering

Fig.5 (a) is the watermarked woman image filtered by median filter with window size of [7x7]. After low-pass filtering, lot of detail information is lost and the PSNR of the watermarked image reduces to 31.19dB. Fig.5 (b) is the corresponding extracted watermarks. It is shown that the watermark w_1 can be well recognized ($\rho_b=3.12\%$) and the

watermarks w_2 and w_3 are completely recovered. The detailed simulation results under median filtering with different window size are listed in Table 2.



Fig.5. (a) The filtered watermarked image and (b) the extracted results

Table 2 The detected results after median filtering

The window size of median filter	PSNR of the watermarked image/dB	ρ_b of the extracted w_1 /%	ρ_b of the extracted w_2 /%	ρ_b of the extracted w_3 /%
5x5	35.20	0	0	0
7x7	31.19	3.12	0	0
9x9	28.09	9.66	0	0
11x11	26.59	16.69	0	0
13x13	25.77	24.02	0	0

JPEG Compression

Fig.6 (a) is the JPEG compressed version of the watermarked woman image with compression quality factor of 7% and the extracted watermarks are shown in Fig.6 (b). The detailed simulation results under different quality factor are presented in Table 3. It is shown that the embedded three watermarks will be not affected by JPEG compression during the range of quality factor from 100 to 7%. When the quality factor is lower than 10%, the box compression effect of watermarked image is clearly seen. However, the extracted results are very satisfactory, indicating the proposed multi-watermarking scheme has better robustness against the image compression.



Fig.6. (a) The compressed watermarked image and (b) the extracted results

Table 3 The detected results after JPEG compression

The quality factor (%)	PSNR of the watermarked image/dB	ρ_b of the extracted w_1 /%	ρ_b of the extracted w_2 /%	ρ_b of the extracted w_3 /%
10	31.81	0	0	0
8	30.66	0	0	0
7	30.00	0	0	0
6	28.98	12.20	0	0
5	28.07	23.92	0	0

Geometric Rotation

Fig.7 is the watermarked woman image ($PSNR=12.07dB$) after rotated clockwise by 10 degree and the extracted results. It is shown again that the proposed algorithm has better robustness against the geometric distortion, and the error rate of extracted watermark w_1 is only about 3.12% while the other two watermarks w_2 and w_3 are completely recovered without any error.

CONCLUSION

In this paper, multiple binary watermarks are embedded in a grayscale digital image simultaneously based on the novel discrete operation. replication results indicate that the proposed scheme has ideal imperceptibility and capacity which are independent of the embedded watermarking number, especially the scheme can guarantee the embedded multi-watermarks in addition to one be immune to any attacks. Even so, this watermark is also robust enough against the common image processing attacks.

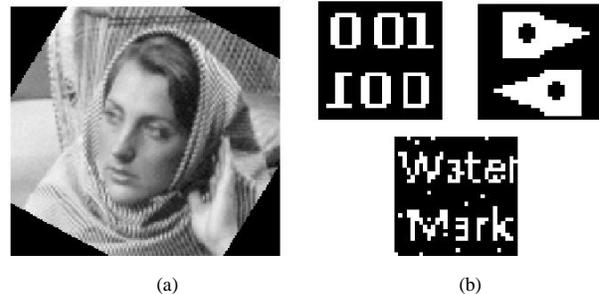


Fig.7. (a) The rotated watermarked woman image and (b) the extracted results

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